

#### **Theoretical Results and Motivation**

- General SMC problem is solvable
  - Yao('86), Goldreich('87), Kilian('88)
  - Circuit evaluation
- Theoretical result is not efficient.
  - Goldreich
  - e.g. a multiplication circuit is quadratic in the size of its inputs.
- Specific SMC problems need special solutions

3

## **Privacy-Preserving Statistical Analysis**

- Traditional Statistical Analysis:
  - Data set:  $\{(x_1, y_1), (x_2, y_2), ..., (x_n, y_n)\}.$
  - Compute mean, standard deviation, correlation coefficient, regression, etc.
- New Problem 1
  - Alice has  $(x_1, y_1), ..., (x_k, y_k)$
  - Bob has  $(x_{k+1}, y_{k+1}), ..., (x_n, y_n)$
- New Problem 2
  - Alice has  $(x_1, x_2, ..., x_n)$
  - Bob has  $(y_1, y_2, ..., y_n)$

4

### **Privacy-Preserving Scientific Computations**

- Solve Mx = b
- Solve

$$\begin{bmatrix} \mathbf{M}_1 \\ \mathbf{M}_2 \end{bmatrix} \mathbf{X} = \begin{bmatrix} \mathbf{b}_1 \\ \mathbf{b}_2 \end{bmatrix}$$

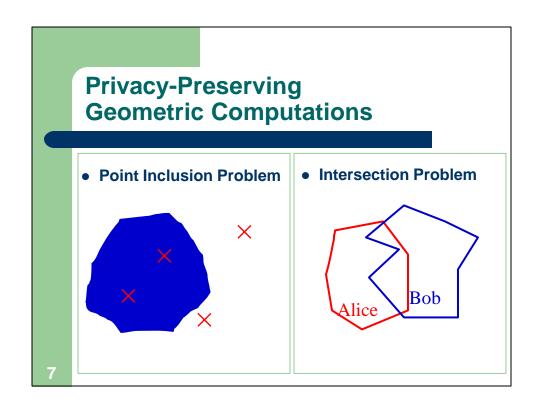
- Solve  $[M_1 M_2] x = b$
- Solve  $(M_1 + M_2) x = b_1 + b_2$

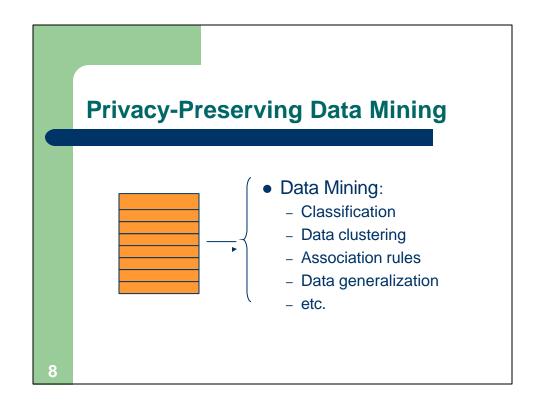
5

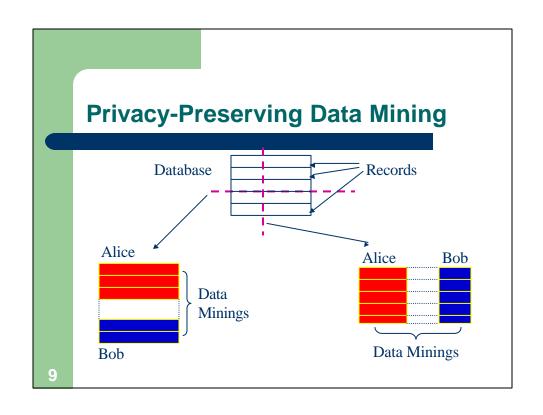
# **Privacy-Preserving Scientific Computations (cont'd)**

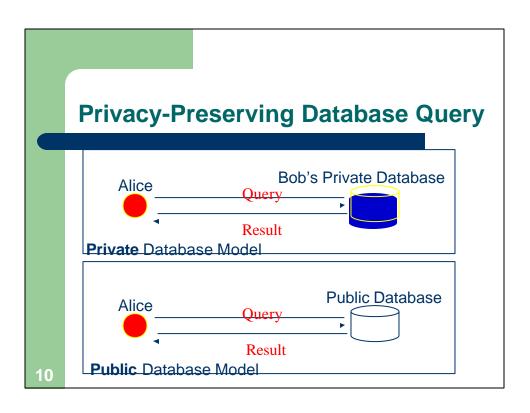
- Linear System of Equations
  - Mx = b, M is n by n matrix
- Linear Least-Square Problems
  - $\mathbf{M}\mathbf{x} = \mathbf{b}$ , but M is m by n matrix, m > n
- Linear Programming Problems
  - minimize  $f(x)=c^Tx$ : Mx £ b, 0 £ x

6









### **Summary of Our Results**

- Privacy-Preserving Scientific Computations
- Privacy-Preserving Statistical Analysis
- Privacy-Preserving Geometrical Computations
- Privacy-Preserving Database Query

11

#### **Future Work**

- Other Interesting SMC Problems
  - Cooperative Machine Learning
  - Cooperative Intrusion Detection
  - Information Retrieval
- SMC problems in E-commerce
  - Business to Business operations
  - Business to Customer operations

12