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The Center for Education and Research in Information Assurance and Security

## A Comprehensive Access Control System for Scientific Applications

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#### **Problem Statement**

- Web based scientific applications provide means to share scientific data beyond the local computing environment
- □ The organization and sharing of large and heterogeneous data

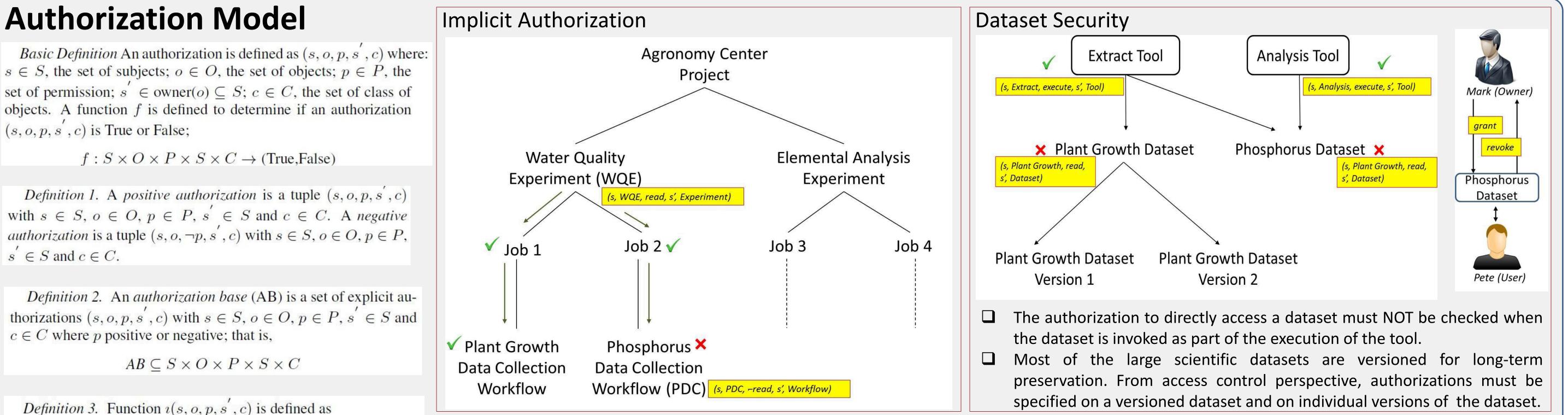
### **Authorization Requirements**

**Implicit Authorization**: An explicitly specified authorization may imply authorizations i.e. authorizations can be automatically propagated

pose challenges due to their sensitive nature

#### There is a need for a robust authorization mechanism to prevent unauthorized access to scientific data

- □ For this purpose, we present an access control system for scientific applications
- We formulate a methodology that incorporates principles from security management and software engineering
- **Dataset Security**: A user having authorization to execute a tool should not have any authorization to directly modify the dataset accessed by the tool
- **Sandbox Search**: A user is allowed to only execute a browsing query on the existence of data
- **Temporal Constraints**: Permissions have a temporal dimension
- **Conflict Resolution**: Identifying and resolving a conflict is essential in improving usability of any access control system.



#### Definition 3. Function i(s, o, p, s', c) is defined as

 $i; S \times O \times P \times S \times C \rightarrow (\text{True}, \text{False})$ 

If  $(s, o, p, s', c) \in AB$ , then i(s, o, p, s', c) = True; else, if there exists an  $(s_1, o_1, p_1, s_1, c_1) \in AB$  such that  $(s_1, o_1, p_1, s_1, c_1) \rightarrow$ (s, o, p, s', c), then i(s, o, p, s', c) = True; else, if there exists an  $(s_1, o_1, \neg p_1, s'_1, c_1) \in AB$  such that  $(s_1, o_1, \neg p_1, s'_1, c_1) \rightarrow$  $(s, o, \neg p, s', c)$ , then  $\iota(s, o, p, s', c)$  = False.

| ndbox Search          |                 | ×                  |
|-----------------------|-----------------|--------------------|
| ne Job Dataset Search | Yes, it exists! | Phosphorus Dataset |
| Search Explore        |                 |                    |
| Search for Term(s)    | No match found! |                    |

The browsing query allows a certain user to search whether certain data exists but this does not imply the right to see the actual data.

|   | specified off a versioned dataset and off individual v   | ersions of the uataset.                       |
|---|--|---|
|   | Temporal Constraint  | <b>Conflict Resolution</b>                    |
|   | Definition 4. A temporal authorization is a pair (period, auth),<br>where period is a time interval $[t_a, t_b]$ with $t_a \in \mathbb{N}, t_b \in \mathbb{N} \cup \infty, t_a \leq t_b$ , and auth = $(s, o, p, s', c)$ . | (s, o, p, s', c)<br>checkState                |
|   | A temporal constraint is associated with each  | Base (AB)                                     |
| Ì | authorization and refer to as a temporal authorization.  | Resolution, Consistency and Redundancy of AB. |

